## HP-12C $\triangle$ DYS with European 30/360 outputs

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European markets still make use of two 30 day month/360 day year methods, called $30(\mathrm{E}) / 360$ and $30(\mathrm{E}+) / 360$, for counting days between dates, denoted by Date 1 and Date2 below, where Date1 is the earlier of the two. The HP-12C provides the USA $30(\mathrm{~A}) / 360$ result. The program below may be run instead of executing $\triangle \mathrm{DYS}$ to get the usual $\triangle \mathrm{DYS}$ output and in addition the $30(\mathrm{E})$ and $30(\mathrm{E}+)$ results are then stored in $\mathrm{R}_{0}$ and $\mathrm{R}_{1}$.

|  | Examples of usage | Do $\rightarrow$ | $\mathrm{X} \gtrless \mathrm{y}$ | RCL 0 | RCL 1 |
| :--- | :--- | :--- | :--- | :--- | :--- |
|  | Do 9 g. D.MY \& $\&$ See $\rightarrow$ | Actual | $30(\mathrm{~A})$ | $30(\mathrm{E})$ | $30(\mathrm{E}+)$ |
| 1 | 15.032 ENTER 31.032 R/S | 16 | 16 | 15 | 16 |
| 2 | 31.032 ENTTER 15.092 R/S | 168 | 165 | 165 | 165 |
| 3 | 15.032 ENTER $15.092 \mathrm{R} / \mathrm{S}$ | 184 | 180 | 180 | 180 |
| 4 | 30.032 ENTER 31.072 R/S | 123 | 120 | 120 | 121 |

Examples 1,2 and 3 show how the $30(\mathrm{~A})$ and $30(\mathrm{E}+)$ methods can result in the whole (180) not being the sum of the parts ( $16+165=181$ ). "Agency" bonds in the USA (now called "Government Sponsored Enterprise Debt") valued on 31st March with maturity on 15th September would have the 16 days used as the accrual period and the 165 days as the discount period, whereas a "Muni" bond valuation would use $180-16=164$ as the discount period. The 30(E) method, used for Swedish, Swiss and Danish bonds and also for Eurobonds and Irish bonds issued before 1999, does not have this apparent drawback. Example 4 shows a case where the $30(\mathrm{E}+$ ) method gives the biggest result.

| Press | Display |  | Press |  | Display |  |  | Press |  | Display |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| ENTER | 01- | 36 | x $\geqslant \mathrm{y}$ |  | 10- |  | 34 | STO | O $\times 0$ | 19-4 | 20 | 0 |
| 9 INTG | 02- | 4325 | g | INTG | 11- | 43 | 25 | R $\downarrow$ |  | 20- |  | 33 |
| 3 | 03 - | 3 | 3 |  | 12 - |  | 3 |  | $\triangle \mathrm{DYS}$ | 21- | 43 | 26 |
| 1 | 04 - | 1. | 0 |  | 13 - |  | 0 | $x \geqslant y$ |  | 22- |  | 34 |
| $\div$ | 05- | 10 | $\div$ |  | 14 - |  | 10 | STO | $0+0$ | 23-4 | 40 | 0 |
| 9 INTG | 06 - | 4325 | 9 | INTG | 15- | 43 | 25 | STO | 0 +1 | 24-4 | 40 | 1 |
| STO 0 | 07 - | 440 | STO | $\times 1$ | 16-44 | 20 | 1 | $x \geqslant y$ |  | 25- |  | 34 |
| STO 1 | 08 - | 441 | 1 |  | 17 - |  | 1 | $g$ | GTO 00 | 26-4 | , 33 | 00 |
| R】 | 09- | 33 | - |  | 18- |  | 30 |  | P/R |  |  |  |

The program assumes D.MY is set, and that is the format used for input. If Date 1 has Y1=year, M1=month and D1=day, and similarly for Date2, then $30(\mathrm{~K})=$ 360(Y2-Y1)+30(M2-M1)+D2-D1+INT(D1/31)-K•INT(D2/31) where $\mathrm{K}=0$ for $30(\mathrm{E}+)$, $\mathrm{K}=1$ for $30(\mathrm{E})$ and $\mathrm{K}=\mathrm{INT}(\mathrm{D} 1 / 30)$ for the $30(\mathrm{~A})$. In general: 30(E) $<=30(\mathrm{~A})<=30(\mathrm{E}+)$. The methods differ only when Date2 is a 31st.
Reference: "Mastering Financial Calculations", by Robert Steiner. 1999. FT Prentice Hall. Includes some HP12C, 17B and 19B methods. Excellent book!

